

An uneasy truce exists between the spies of *Alpha Complex* and *Beta Complex* but some fundamental differences exist on core pillars of ideology. These differences are so deep-seated that arranging the seating in shared complex space is, quite frankly, complex.

A large warehouse has just been acquired from a local company and powerpoints have been installed in a square grid. Desks have been placed at some of these points and the spies need to be allocated desks. To avoid a cold war over this hot issue, in any row or column the number of spies from *Alpha Complex* must be no more than one different from the number of *Beta Complex* spies.

For example, if desks had been placed at (0,0), (0,10), (10,0) and (0,20), and (0,0) contained an *Alpha Complex* spy:

- The spy at (10,0) would have to be from *Beta Complex*, hence the row (x,0) contains one of each spy;
- At least one of the spies in (0,10) and (0,20) would have to be from *Beta Complex*, so the row (0,y) would have one spy from one complex and two from the other.

The first line of input will consist of a single integer,  $n (1 \le n < 2^{13})$ , indicating

For any set of desks there is always a solution.

## SAMPLE INPUT

	the number of desks. Each of the next <i>n</i> lines will contain two integers, $x_i$ and
4	$y_i$ ( $0 \le x_i$ , $y_i < 2^{16}$ ), indicating the co-ordinates of the <i>i</i> <sup>th</sup> desk. No two desks will
0 0	be at the same position.
0 10	
10 0	You should output <i>n</i> lines, each containing an <i>A</i> or a <i>B</i> , the $i^{th}$ line indicating
0 20	the complex of the spy occupying the <i>i</i> <sup>th</sup> desk. You may output any valid solution.

## SAMPLE OUTPUT

- A
- А

В

В